

Neural coding

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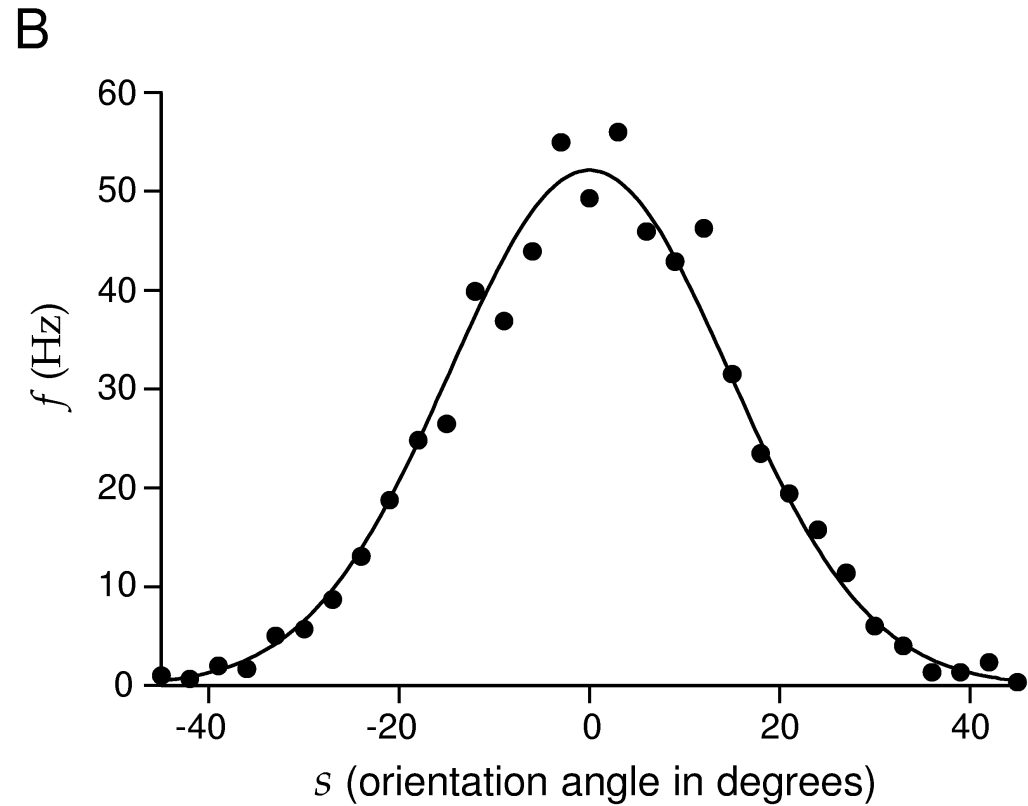
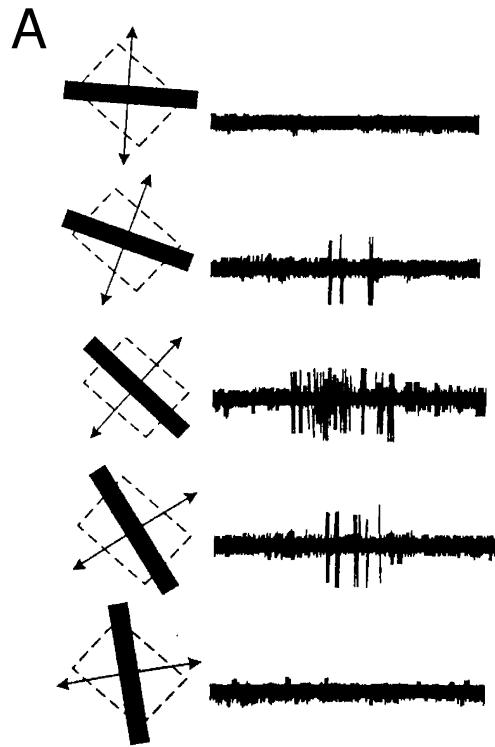


MCN 1997



Receptive fields and tuning curves

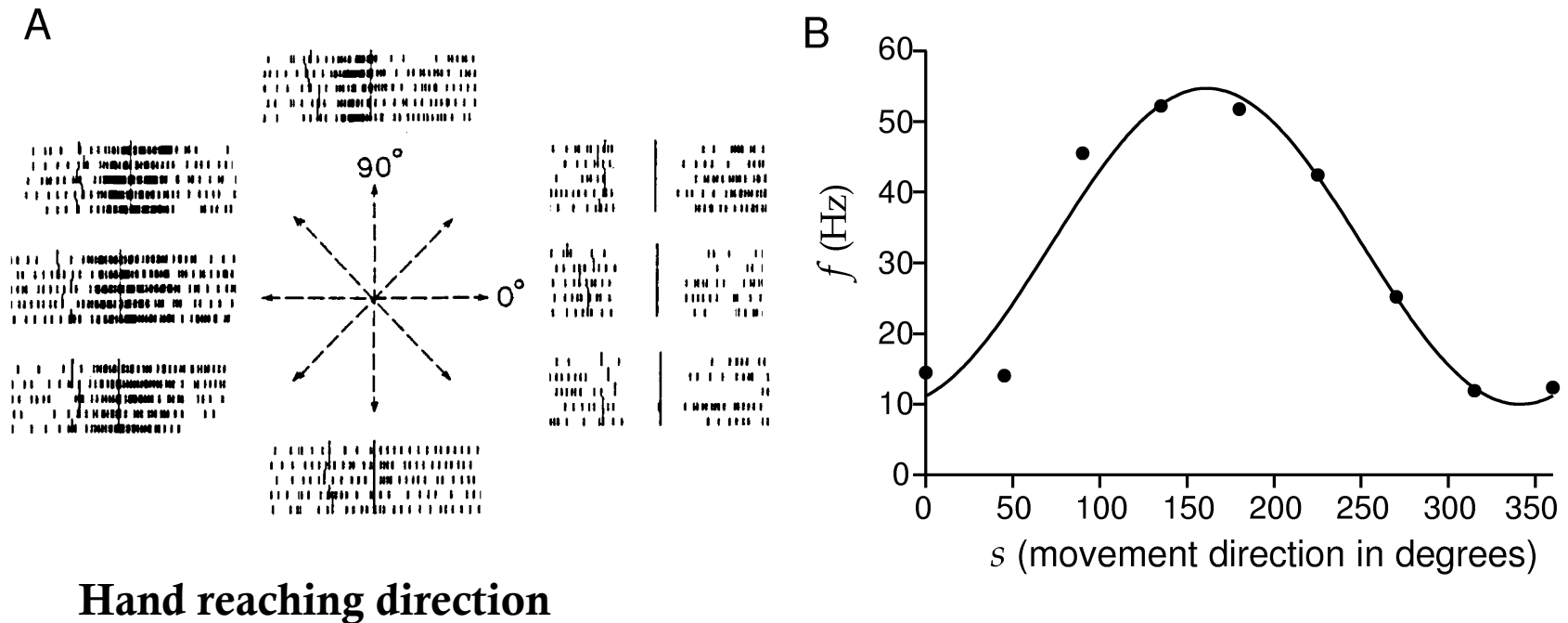
Tuning curve: $r = f(s)$



Gaussian tuning curve of a cortical (V1) neuron

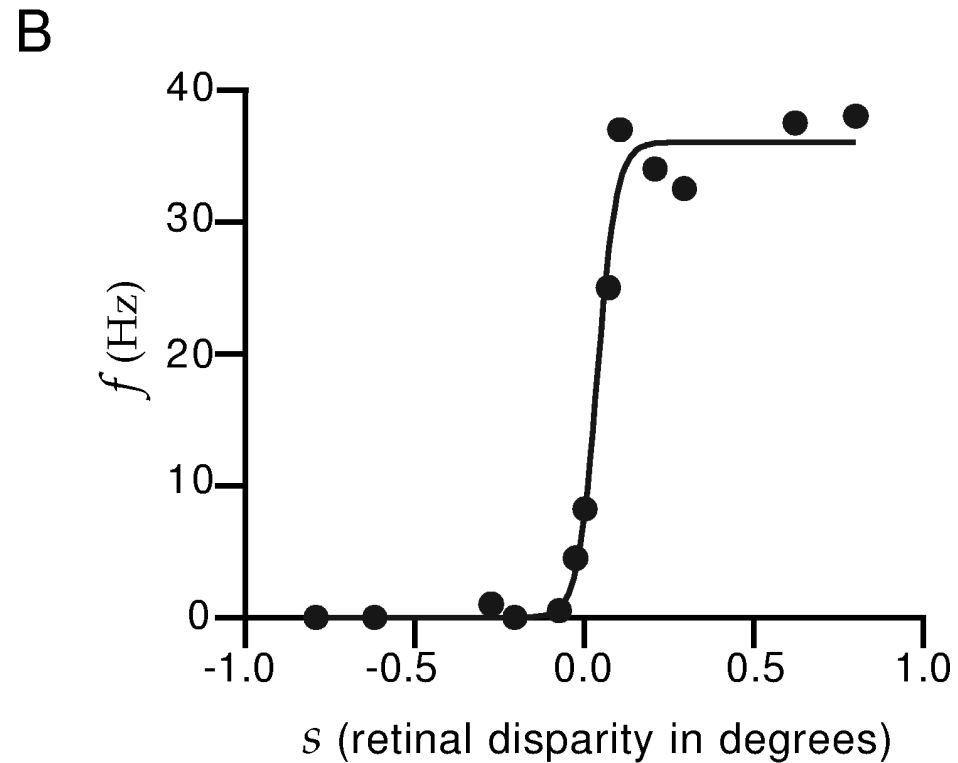
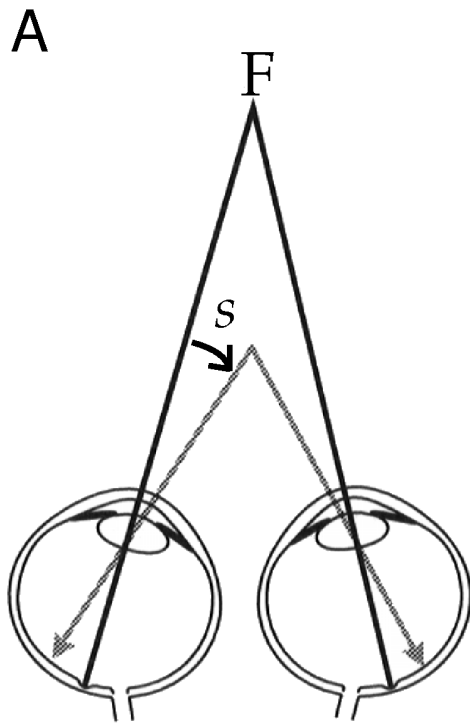
Receptive fields and tuning curves

Tuning curve: $r = f(s)$



Cosine tuning curve of a motor cortical neuron

Receptive fields and tuning curves



Retinal disparity for a “near” object

Sigmoid/logistic tuning curve of a “stereo” V1 neuron

More generally, we are interested in determining the relationship:

$$P(\text{response} \mid \text{stimulus})$$

encoding

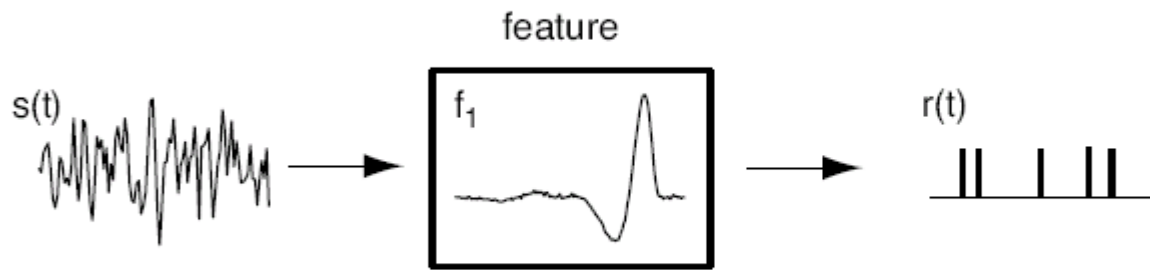
$$P(\text{stimulus} \mid \text{response})$$

decoding

Due to noise or uncontrolled factors, this is a stochastic description.

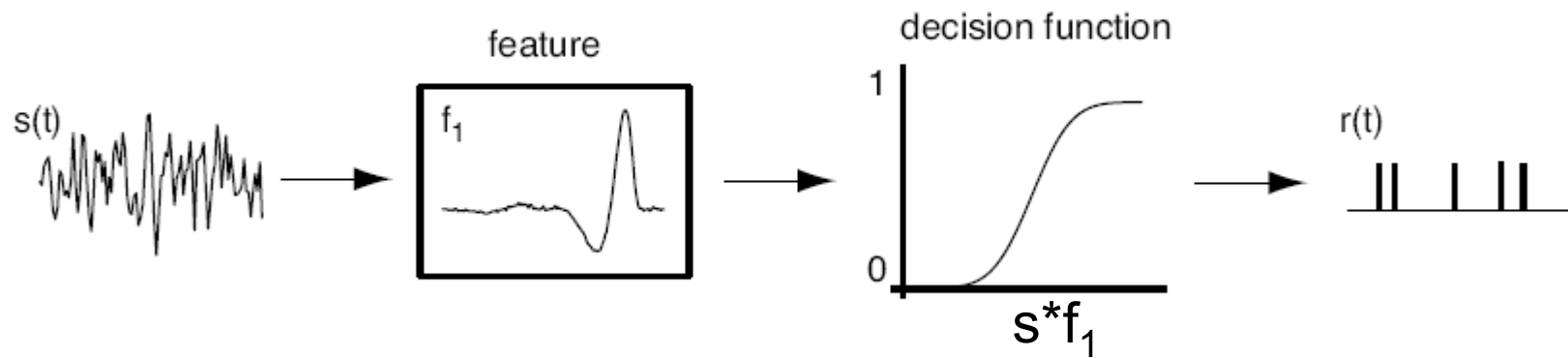
Problem of *dimensionality*, both in response and in stimulus

Basic coding model: relationship with sensory input



Linear filter: $r(t) = \int_{-\infty}^{\infty} f(t-t) s(t) dt$

Next most basic coding model

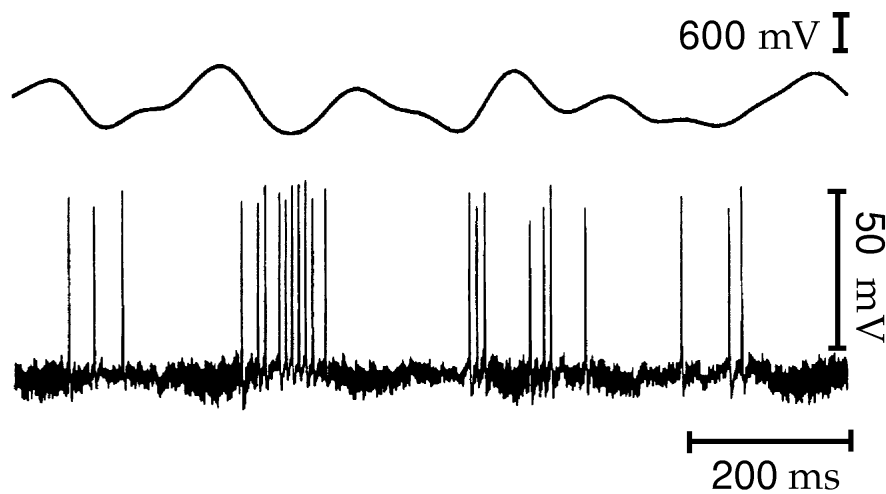


Linear filter & nonlinearity: $r(t) = g\left(\int_{-\infty}^{\infty} f(t-t') s(t') dt'\right)$

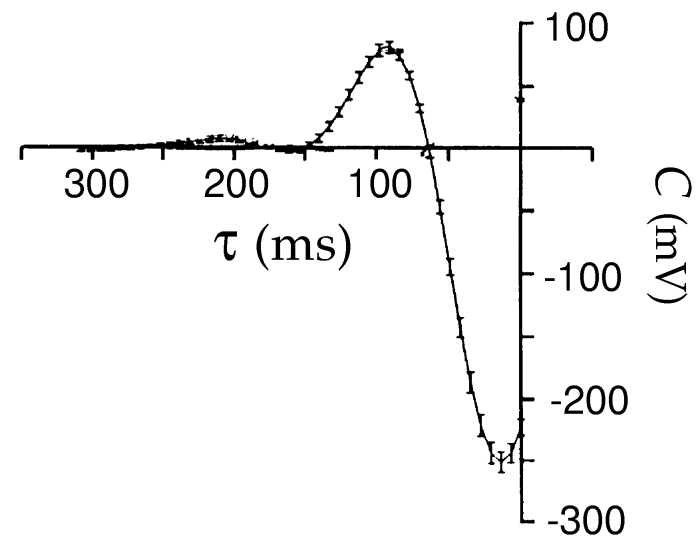
The spike-triggered average

Example: a neuron in the ELL of a fish

stimulus = fluctuating potential
(generates electric field)



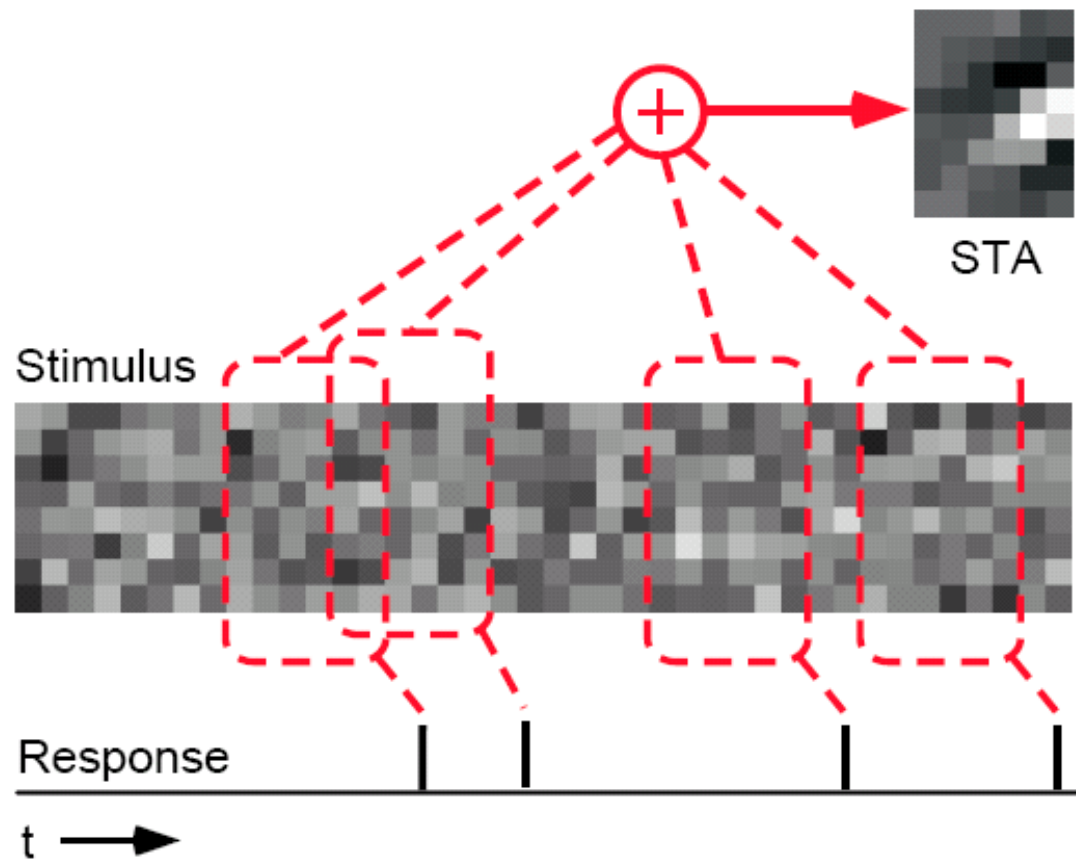
Spike-triggered Average



The spike-triggered average

This can be done with other dimensions of stimulus as well

Spatio-temporal receptive field



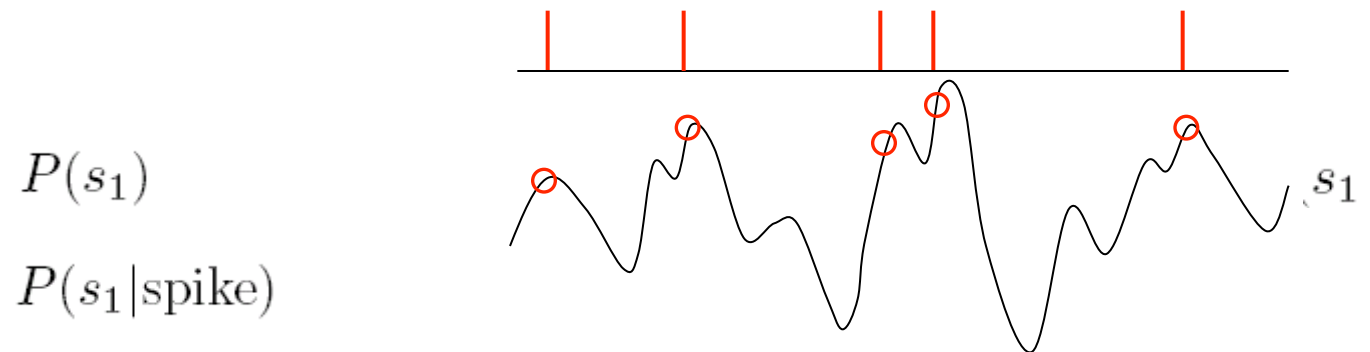
Determining the nonlinear input/output function

The input/output function is:

$$P(\text{spike}|\text{stimulus})$$

which can be derived from data using Bayes' rule:

$$P(\text{spike}|s_1) = \frac{P(s_1|\text{spike})P(\text{spike})}{P(s_1)}$$



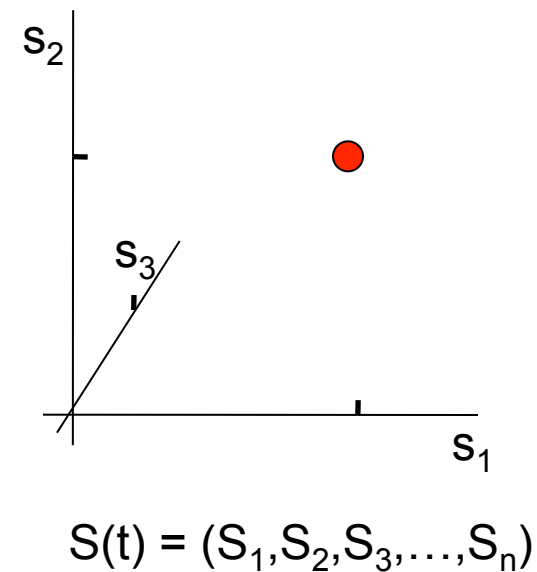
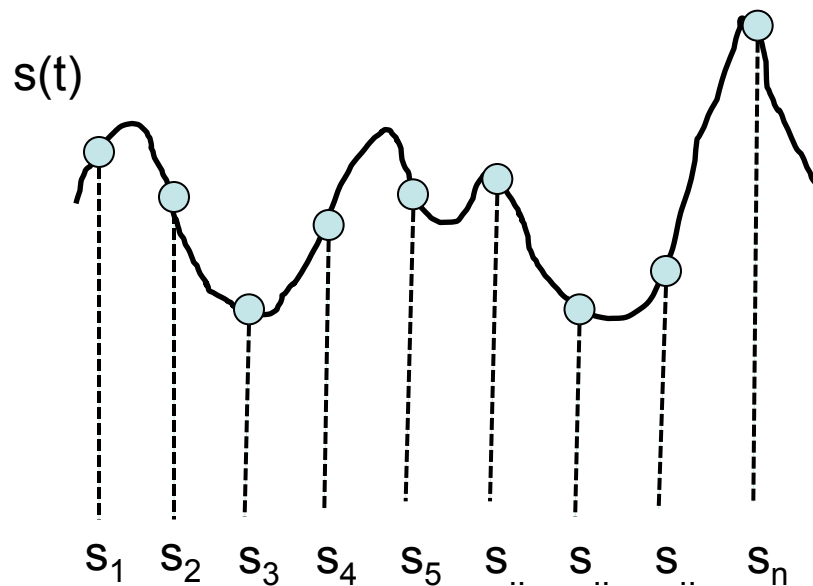
It is often useful to look simply at the conditional distribution

Dimensionality reduction

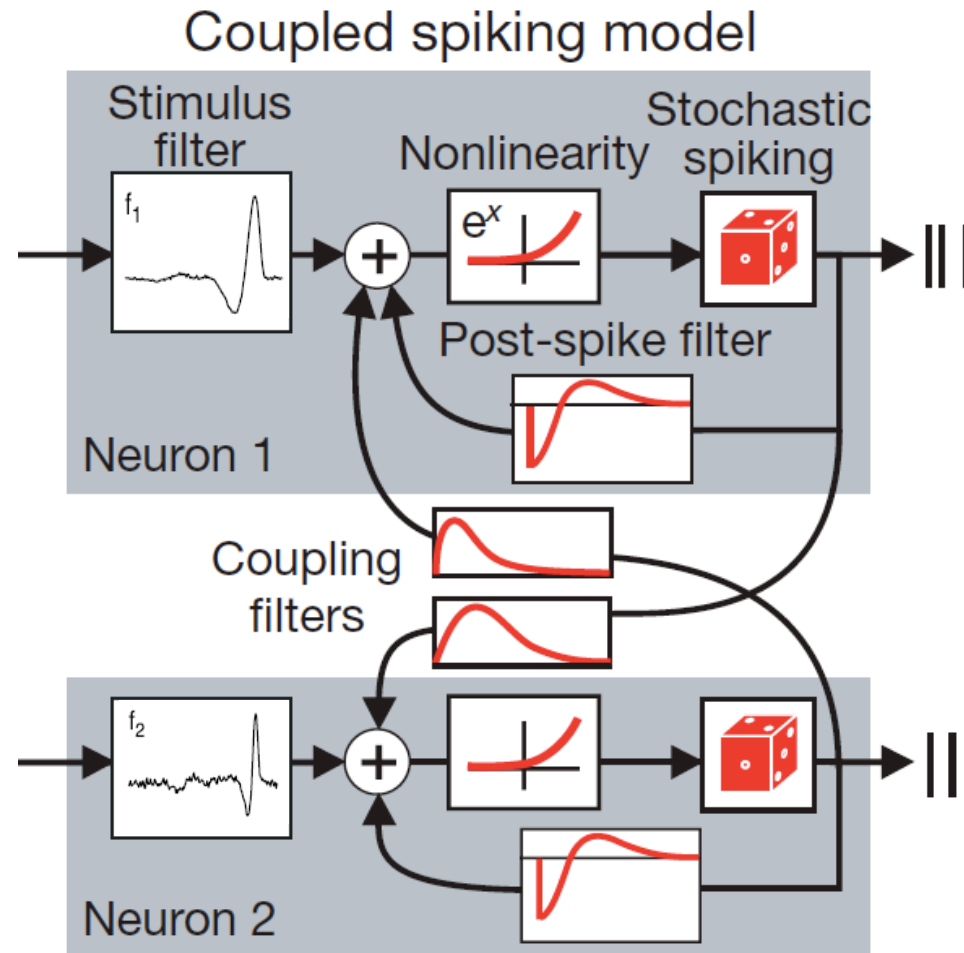
More generally, one can conceive of the action of the neuron or neural system as *selecting a low dimensional subset* of its inputs.

$$P(\text{response} \mid \text{stimulus}) \rightarrow P(\text{response} \mid s_1, s_2, \dots, s_n)$$

Start with a very high dimensional description (eg. an image or a time-varying waveform) and pick out a small set of relevant dimensions.



Models with spike history



$$\text{GLM: } r(t) = g(f_1 * s + f_2 * r + \dots)$$

Pillow et al., *Nature* 2008; Truccolo, ..., Brown, *J. Neurophysiol.* 2005