Week 8 Homework

Physics 1B

February 28, 2007

1 Serway 20.1

An emf is caused by a change in flux, which can be produced by a change in magnetic field strength, magnetic field direction, or area perpendicular to the magnetic field. Since the magnetic field in this problem is constant (not changing in magnitude or direction), an emf can only be produced by changing the area perpendicular to the magnetic field. This amounts to rotating the loop or changing its area.

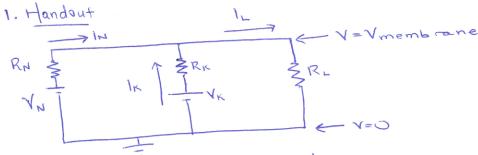
2 Serway 20.2

Yes. A falling magnet would create a magnetic field which changed in time, causing magnetic flux. This flux would induce an emf, the emf inducing current in the tube.

3 Serway 20.7

If the magnetic field was constant and the wearer of the bracelet perfectly still, no problem would occur. However, if the bracelet wearer moved or the magnetic field changed, this would cause a change in flux which would induce an emf in the bracelet. If the bracelet was a continuous band, this would create a large current, causing the bracelet to heat up. If the bracelet had a gap, the high voltage difference across the gap could cause charge carriers to jump across the gap (this is called an arc).

1B HW Week 8



- rule: In+IK= IL Junction
- 2 Loop rule (outer 100p): VN INRN-ILRL = 0
- 3) Loop rule (right loop): VK IKRK-ILRL = 0

oMethodo Because the voltage across RL is Vmembrane and Vmembrane then is ILRL, we use the above 3 equations to find 12. Then we use Vmembrane = 1_R_ to find Vmembrane

· Combining () (in form 1x=1L-1N) and (3),

· Combining In and D,

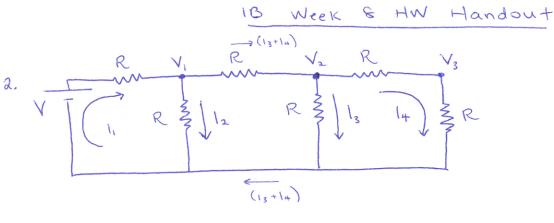
$$V_{N} = \left[\frac{1_{L}(R_{L}+R_{K})-V_{K}}{R_{K}}\right]R_{N} - 1_{L}R_{L} = 0$$

$$1_L R_L + 1_L \left(\frac{R_L + R_K}{R_K}\right) R_N = V_N - V_K \left(\frac{R_N}{R_K}\right)$$

$$|L = \frac{V_N R_K - V_K R_N}{R_L R_K + (R_L + R_K) R_N}$$

· Substituting into Vmembrane = LRL,

$$V_{\text{membrane}} = \frac{V_{N}R_{K} - V_{K}R_{N}}{R_{L}R_{K} + (R_{L} + R_{K})R_{N}}$$



Using the junction rule & V=IR,

11 = 12 + 13 + 14

(2)
$$I_1 = \frac{V_1}{R}$$
 (3) $I_2 = \frac{V_1}{R}$ (4) $I_3 = \frac{V_2}{R}$ (5) $I_4 = \frac{V_3}{R}$

$$4) 1_3 = \frac{V_2}{R}$$

(5)
$$1_{4} = \frac{\sqrt{3}}{R}$$

(top left resistor)

(middle top resistor) (top right resistor)

Combining the above equations:

$$0.0-5)VV_1 = V_1 + V_2 + V_3$$

$$2V_1 = V - V_2 - V_3$$
(A)

$$\circ \otimes \& \otimes \vee_3 = \vee_2 - \vee_3$$

$$(0)$$
 (1) $4V_3 = V_1 - V_3$ (0) $V_1 = 5V_3$

$$V_{3} = \frac{1}{13} V$$

$$V_{1} = \frac{5}{13} V$$

$$V_{2} = \frac{2}{13} V$$

Week 8 HW Handout

Charged, no current flows through

the capacitor. The same current

flows through

Vising Kirchoff's

Using Kirchoff's

Vising Richard

Vising

1B Week 8 HW

Handout ** +

R

Vsoma T 1, R

R

R

V1, T C V13

- · Using the junction rule, 1, = 12+13
- o Using the loop rule, $V_{soma} 1$, $R 1_2R = 0$ Find $I_1 = -1_2 + \frac{V_{soma}}{R}$
- o Because the voltages across the capacitor and right resistor must be the same (because they are in parallel), $l_2R = \frac{Q_3}{C}$. (3)
- o Substitute (2) and (3) into (1)

$$-1_2 + \frac{V_{soma}}{R} = 1_2 + 1_3$$

$$\frac{-O_3}{RC} + \frac{V_{soma}}{R} = \frac{O_3}{RC} + I_3$$

· Recalling that current 1= 20

$$\frac{\Delta Q_3}{\Delta t} + \left(\frac{2}{RC}\right)Q_3 = \frac{V_{soma}}{R}$$

. Comparing to the RC handout, we see $T = \frac{RC}{2}$ (inverse of the we see the capacitor only sense because the capacitor only gets half as charged as it would in the absence of the parallel resistor.

1B HW Week 8

6.

Îō

The magnetic field created in our solenoid is parallel to the axis of the solenoid, so Θ in our definition

Bestenand = 16 n I turns per unit langth
= (471-10-7 T-m/A) (250 turns) (15.0 A)
= 2.356 × 10-2 T

 $A = \pi r^{2}$ $= \pi \left(\frac{400 \times 10^{-3} \text{ m}}{2} \right)^{2}$ $= 1.257 \times 10^{-3} \text{ m}^{2}$ $\Phi_{8} = 2.96 \times 10^{-5} \text{ Wb}$

 $\sqrt{g} = (5.0 \text{ T})(2.5 \times 10^{-3} \text{ m})^{2}$ $\sqrt{g} = 3.1 \times 10^{-3} \text{ Wb}$

b) Since the field is constant, every field line that enters the curse also exits the cube.

2. $\boxed{p_8=0}$ for the sum of all the sides.

8.
$$8 = -N \frac{\Delta \Phi_8}{\Delta t}$$

$$\mathcal{E} = -(1) \frac{(1306 \times 10^{-5} \text{ Mb})}{120 \times 10^{-3} \text{ s}}$$

$$g = -(1) \frac{(6.786 \times 10^{-3} \text{ Wb})}{0.20 \text{ s}}$$